Face morphing generation and detection

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Guilherme Schardong (ISR-UC) Face morphing generation and detection

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Outline

1 Introduction

2 Problem Statement

3 Results

4 Face Morphing Attack Detection

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Introduction of image/face morphing

- Image morphing is one of the seminal problems in Computer Graphics
- Numerous artistic applications



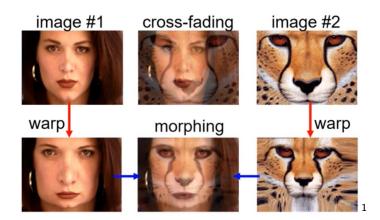
Figure: Image taken from: https://www.cartoonbrew.com/vfx/ oral-history-morphing-michael-jacksons-black-white-144015.html

Problems of image/face morphing

- Cross-fades work only on previously aligned images
- If not aligned, we need to warp them for feature alignment
- And **blend** their colors for a smooth transition between images

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Problems of image/face morphing



1 Image taken from: Gomes, J, Warping and Morphing of Graphical Objects, 1998, Morgan Kaufmann. < 🖹 🛌

Motivation

- The transformations up to this point are not continuous, or smooth
- Why is this important or useful?
- If the transformation is smooth, we can leverage its **differential properties** during the warping/blending
- Also, the transformation is a continuum between the images, instead of a finite number of states

Problem statement

- Coordinate-based neural networks were proposed as representations for signed distance functions in 3D
- They build a continuous and smooth representation of 2D and 3D objects^{2,3}



 2 Schirmer L, et al. Neural Networks for Implicit Representations of 3D Scenes. In: Proceedings of the 34th SIBGRAPI. ³Novello T, et al., Exploring differential geometry in neural implicits. In: Computers & Graphics, Volume 108, 2022.

Problem statement

• Can we leverage them to model warpings/blendings of (face) images?



 2 Schirmer L, et al. Neural Networks for Implicit Representations of 3D Scenes. In: Proceedings of the 34th SIBGRAPI. ³Novello T, et al., Exploring differential geometry in neural implicits. In: Computers & Graphics, Volume 108, 2022.

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Face morphing generation and detection

Assumptions and background

- We assume the images to be *neural images*, i.e., represented by sinusoidal multilayer perceptrons
 - $\mathsf{I}_0,\mathsf{I}_1:\mathbb{R}^2\to\mathcal{C},$ where \mathcal{C} is the color space
 - With this, we can calculate its derivatives using automatic differentiation
- We define a *neural warping* $\mathbf{T} : \mathbb{R}^2 \times \mathbb{R} \to \mathbb{R}^2$ to align the key-points $\{p_i, q_i\}$
 - The key-points may be extracted using face landmark detection (such as DLib 68 landmarks model⁴)
 - $\boldsymbol{\mathsf{T}}(\boldsymbol{\mathsf{x}})$ receives a pair of coordinates and outputs the warped coordinates
- We propose a neural blending $\mathscr{M}(\theta)$ to combine the warped images

⁴Kazemi, V. and Sullivan J., One millisecond face alignment with an ensemble of regression trees. In Proceedings of the IEEE CVPR 2014 ← □ ► ← ∃ ► ← ∃ ► ↓ ∃ ↔ ♡

Warping Loss

$$\mathscr{L}(\theta) = \mathscr{W}(\theta) + \mathscr{D}(\theta) + \mathscr{T}(\theta).$$
(1)

 $\mathscr{W}(\theta), \mathscr{D}(\theta), \mathscr{T}(\theta)$ are the warping, data, thin-plate constraints

$$\mathscr{W}(\theta) = \int_{\mathbb{R}^{2}} \|\mathbf{T}(x,0) - x\|^{2} dx + \int_{\mathbb{R}^{2} \times \mathbb{R}} \left\|\mathbf{T}(\mathbf{T}(x,t), -t) - x\right\|^{2} dx dt.$$
(2)

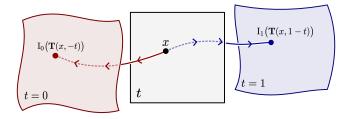
$$\mathscr{D}(\theta) = \int_{[0,1]} \|\mathbf{T}(p_{i},t) - \mathbf{T}(q_{i},1-t)\|^{2} dt$$
(3)

$$\mathscr{T}(\theta) = \int_{\mathbb{R}^{2} \times \mathbb{R}} \|\mathbf{Hess}(\mathbf{T})(x,t)\|_{F}^{2} dx dt$$
(4)

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An illustration of warping



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Image: A mathematical states and a mathem

Blending loss

$$\mathscr{M}(\theta) = \int_{\Omega} \|\operatorname{Jac}(\mathbf{I}) - U\|^2 \, dx dt + \int_{S-\Omega} \left(\mathbf{I} - \mathbf{I}^*\right)^2 \, dx dt \,. \tag{5}$$

where U is a matrix obtained by blending $Jac(I_i)$, $\mathscr{C}(\theta)$ fits I to the primitive of U in Ω , and $\mathscr{B}(\theta)$ is a *boundary constraint* to fit I to I* in $S - \Omega$.

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Reference images



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Blending comparisons



No warping

seamless cloning

average cloning

mixed cloning

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Varying gender and ethnicity



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Interpolation 3D



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Warp 3D



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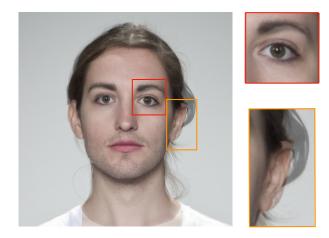
How to detect morphings?

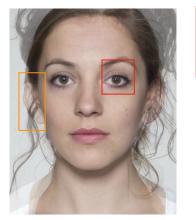
- Subtle changes in texture
- Misaligned features
- Ghost artifacts

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- (Usually) based on convolutional neural networks for feature extraction
- Modelled as a classification task (is this a true face? or is it morphed?)
- More sophisticated networks were propesed (fused classification)⁵

⁵See: Medvedev, I., Shadmand, F., Gonçalves, N. MorDeephy: Face Morphing Detection Via Fused Classification. International Conference on Pattern Recognition Applications and Methods $\Box \rightarrow \langle \bigcirc \rangle \rightarrow \langle \bigcirc \land \land \rightarrow \langle \bigcirc \land \land \land \bigcirc \rightarrow \langle \bigcirc \land \land \rightarrow \langle \bigcirc \land \land \bigcirc \rightarrow \langle \bigcirc \land \bigcirc \rightarrow \langle \bigcirc \rightarrow \langle \bigcirc \land \bigcirc \rightarrow \langle \bigcirc \rightarrow \langle \bigcirc \land \bigcirc \rightarrow \langle \bigcirc \rightarrow \langle$

Questions?

- Novello T, da Silva V, Schardong G, Schirmer L, Lopes H, Velho L. Neural Implicit Surface Evolution using Differential Equations. Published online 2022. doi:10.48550/ARXIV.2201.09636, https://arxiv.org/abs/2201.09636
- Medvedev, I., Shadmand, F., Gonçalves, N. MorDeephy: Face Morphing Detection Via Fused Classification. International Conference on Pattern Recognition Applications and Methods. Published online 2022. doi:10.48550/arXiv.2208.03110, https://arxiv.org/abs/2208.03110

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